

# FUTURE VISION BIE

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& Lab Programs



Future Vision

By K B Hemanth Raj

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<b>ADVANCED ALGORITHMS</b> <b>[As per Choice Based Credit System (CBCS) scheme]</b> <b>(Effective from the academic year 2017-2018)</b> <b>SEMESTER – V</b>			
Subject Code	17CS554	IA Marks	40
Number of Lecture Hours/Week	3	Exam Marks	60
Total Number of Lecture Hours	40	Exam Hours	03
CREDITS – 03			
Module – 1			Teaching Hours
<b>Analysis Techniques:</b> Growth functions, Recurrences and solution of recurrence equations; Amortized analysis: Aggregate, Accounting, and Potential methods, String Matching Algorithms: Naive Algorithm; Robin-Karp Algorithm, String matching with Finite Automata, Knuth-Morris-Pratt and Boyer-Moore Algorithms			<b>8 Hours</b>
Module – 2			
Number Theoretic Algorithms: Elementary notions, GCD, Modular arithmetic, Solving modular linear equations, The Chinese remainder theorem, Powers of an element RSA Cryptosystem, Primality testing, Integer factorization, - Huffman Codes, Polynomials. FFT-Huffman codes: Concepts, construction, Proof correctness of Huffman's algorithm; Representation of polynomials			<b>8 Hours</b>
Module – 3			
DFT and FFT efficient implementation of FFT, Graph Algorithms, Bellman-Ford Algorithm Shortest paths in a DAG, Johnson's Algorithm for sparse graphs, Flow networks and the Ford-Fulkerson Algorithm, Maximum bipartite matching.			<b>8 Hours</b>
Module – 4			
Computational Geometry-I: Geometric data structures using, C, Vectors, Points, Polygons, Edges Geometric objects in space; Finding the intersection of a line and a triangle, Finding star-shaped polygons using incremental insertion.			<b>8 Hours</b>
Module – 5			
Computational Geometry-II: Clipping: Cyrus-Beck and Sutherland-Hodman Algorithms; Triangulating, monotonic polygons; Convex hulls, Gift wrapping and Graham Scan; Removing hidden surfaces			<b>8 Hours</b>
<b>Course outcomes:</b> The students should be able to:			
<ul style="list-style-type: none"> <li>• Explain the principles of algorithms analysis approaches</li> <li>• Apply different theoretic based strategies to solve problems</li> <li>• Illustrate the complex signals and data flow in networks with usage of tools</li> <li>• Describe the computational geometry criteria.</li> </ul>			
<b>Question paper pattern:</b> The question paper will have TEN questions. There will be TWO questions from each module. Each question will have questions covering all the topics under a module. The students will have to answer FIVE full questions, selecting ONE full question from each module.			
<b>Text Books:</b>			
<ol style="list-style-type: none"> <li>1. Thomas H. Cormen et al: Introduction to Algorithms, Prentice Hall India, 1990</li> <li>2. Michael J. Laszlo: Computational Geometry and Computer Graphics in C' Prentice</li> </ol>			

Hall India, 1996

**Reference Books:**

1. E. Horowitz, S. Sahni and S. Rajasekaran, Fundamentals of Computer Algorithms, University Press, Second edition, 2007
2. Kenneth A Berman & Jerome L Paul, Algorithms, Cengage Learning, First Indian reprint, 2008